

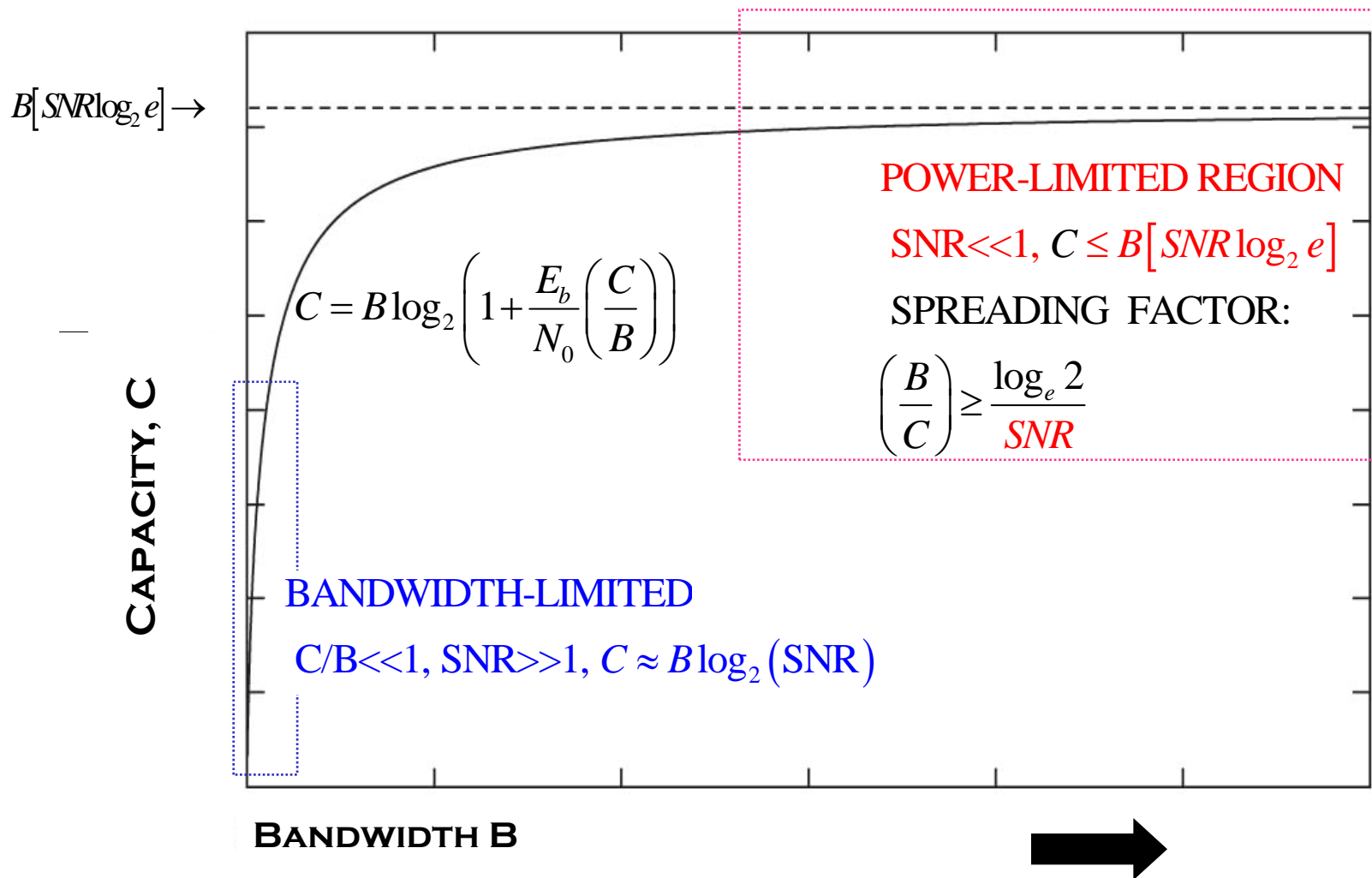
# **SPREAD-SPECTRUM TECHNIQUES: A BRIEF OVERVIEW**

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# SS: AN OVERVIEW

- Spread Spectrum (SS) is a means of transmission in which the signal occupies a bandwidth in **excess** of the minimum necessary to send the information.
- Wideband FM could be classified as a SS technique. RF spectrum produced is much wider than baseband signal. FM "Processing Gain":  $SNR_{out} = 3\beta^2 SNR_{in}$   
 $\beta = \Delta f / f_m$  : MODULATION INDEX (DEVIATION RATIO)  
FM Bandwidth (Carson's rule):  $BW = 2f_m (1 + \beta)$
- The bandwidth spread is accomplished by means of a **code** which is **independent** of the data, and a synchronized reception with the code at the receiver is used for **de-spreading** and subsequent data recovery.
- SS can hide signal below noise (DS) or makes it hard to track (FH):
  - Direct Sequence (DS): Modulated signal multiplied by faster chip sequence
  - Frequency Hopping (FH): Narrowband signal hopped over wide bandwidth
- Also used as a multiple access technique

# A SIMPLIFIED VIEW FROM CAPACITY FORMULA

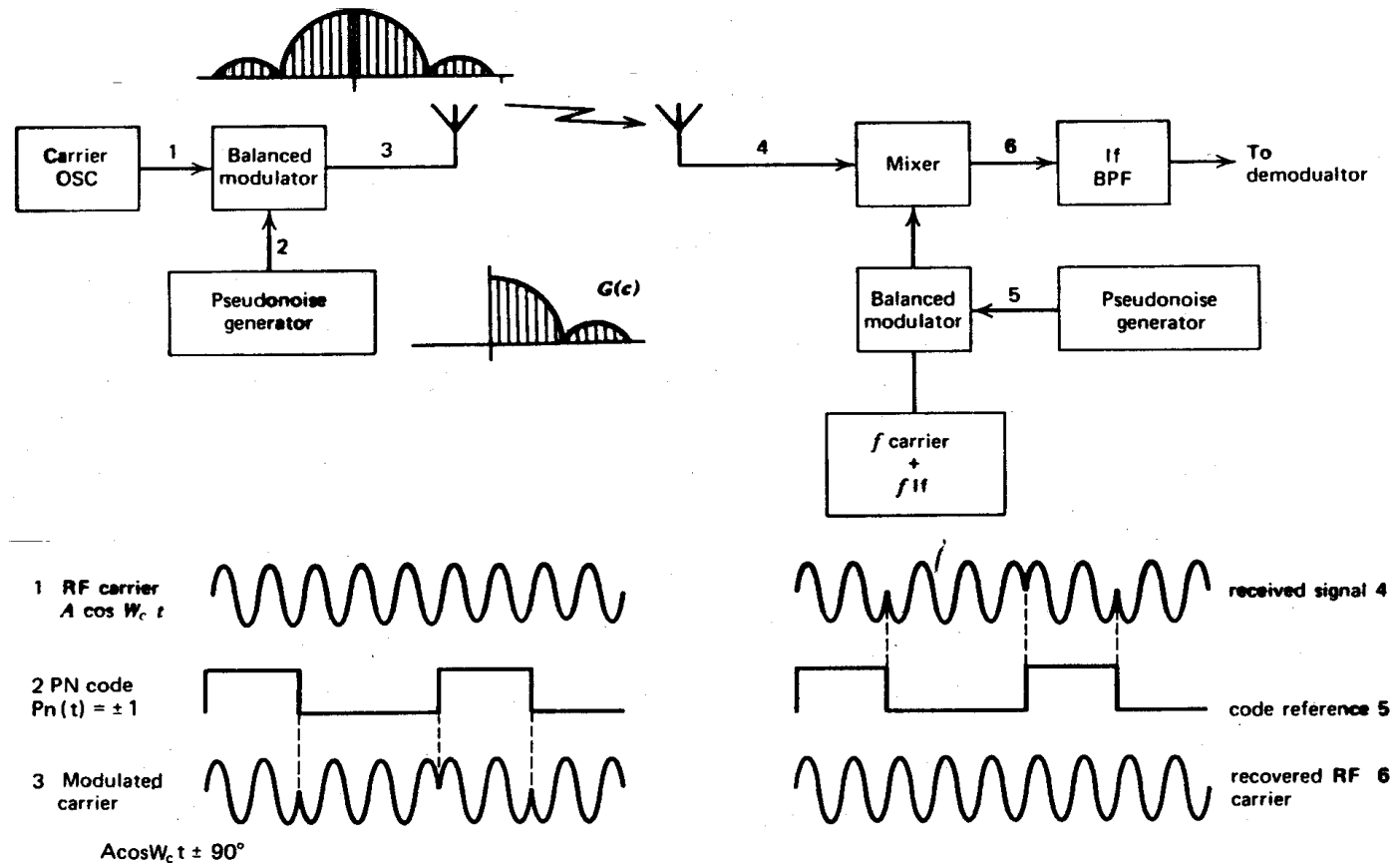


# REASONS FOR SPREAD SPECTRUM:

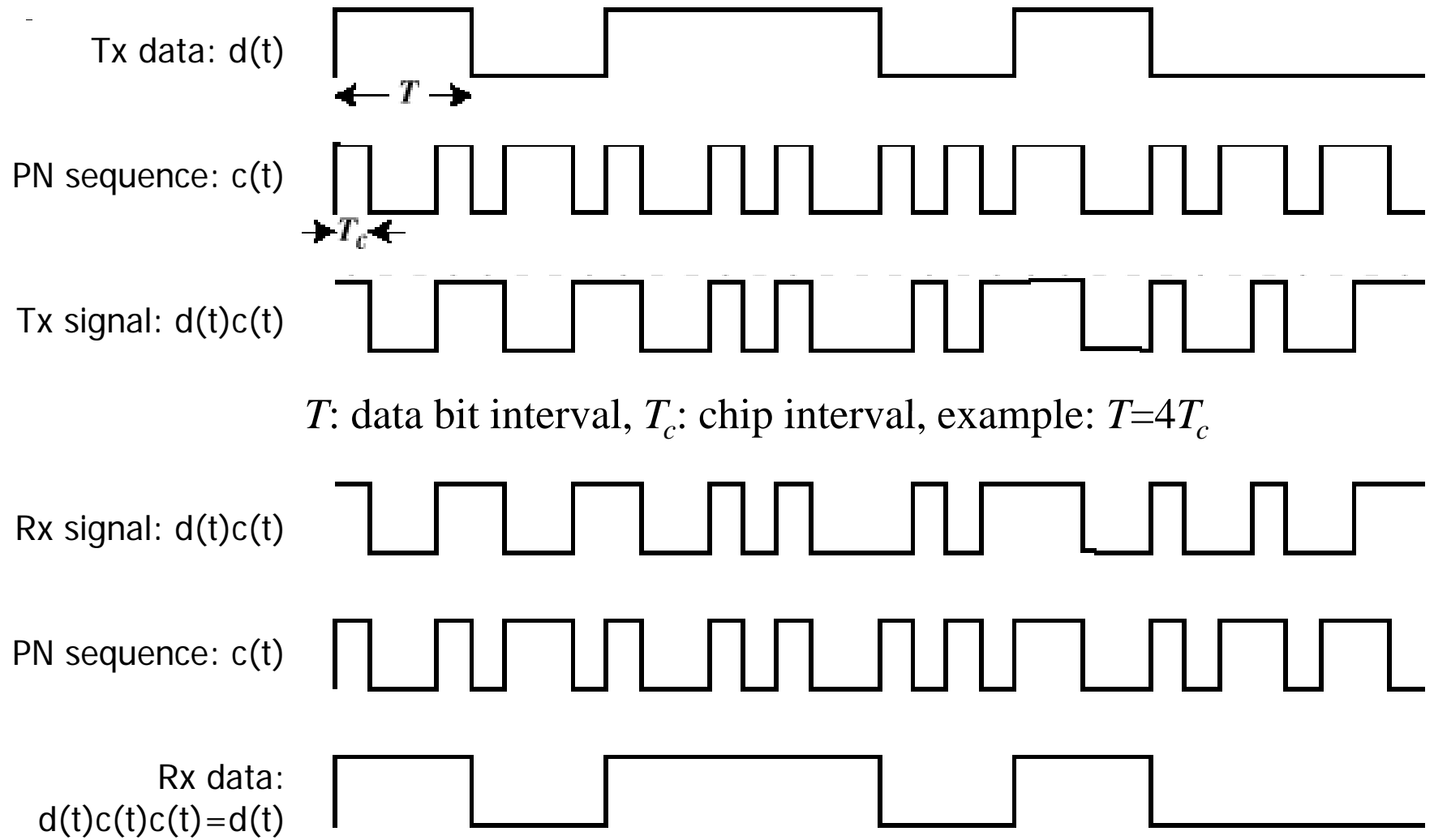
- Anti-Jamming
- Anti-Interference (e.g., multipath distortion)
- Low Probability of intercept (LPI) (or detector LPD): LPD communication systems are designed to make their detection as difficult as possible by anyone but the intended receiver.
- Multiple-Access Communications: Several users can independently use the same higher bandwidth with very little interference
- High Resolution Ranging (e.g. GPS)
- Accurate Universal Timing

## DIRECT-SEQUENCE SPREAD SPECTRUM TECHNIQUES:

Fast pseudo-randomly generated sequence causes phase transitions in the carrier containing data.

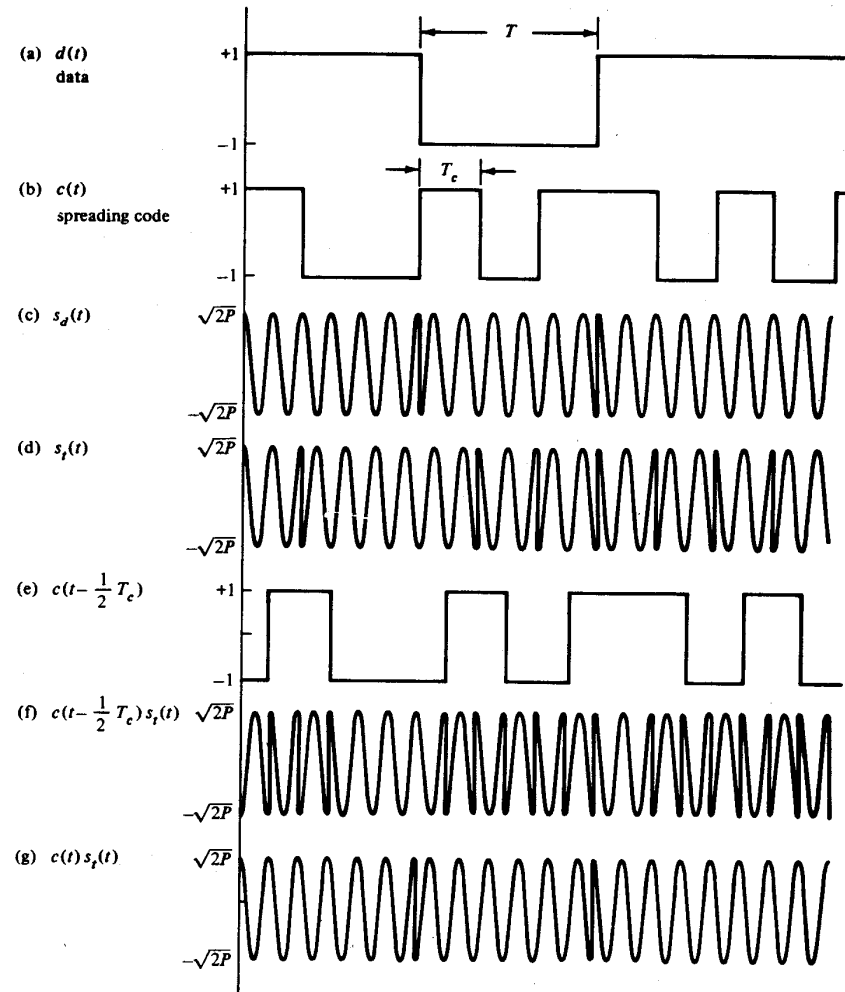
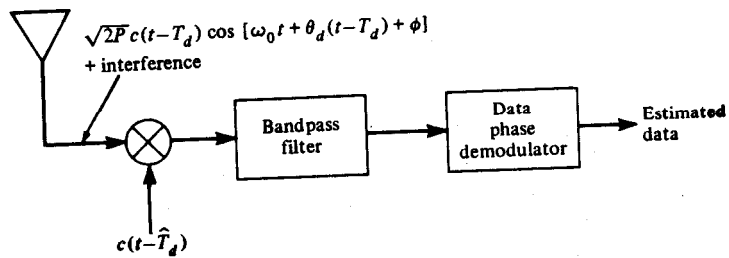
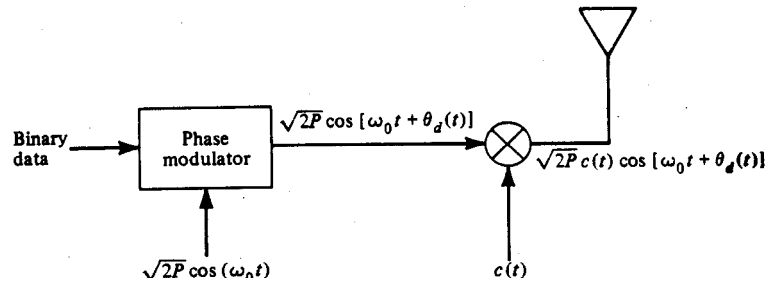


DIRECT-SEQUENCE TRANSCEIVER



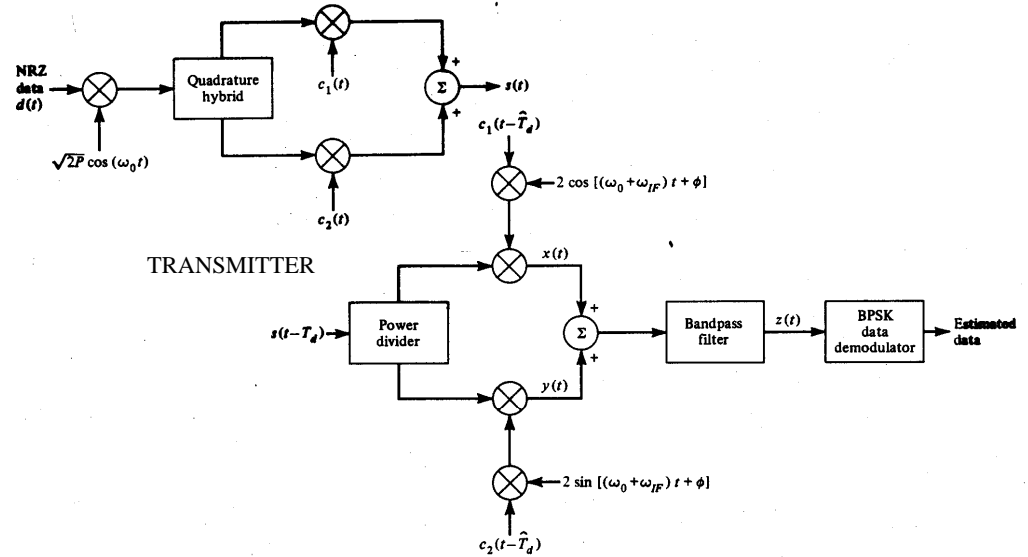
## EXAMPLE OF DS SPREADING AND DESPREADING

# DIRECT-SEQUENCE BPSK

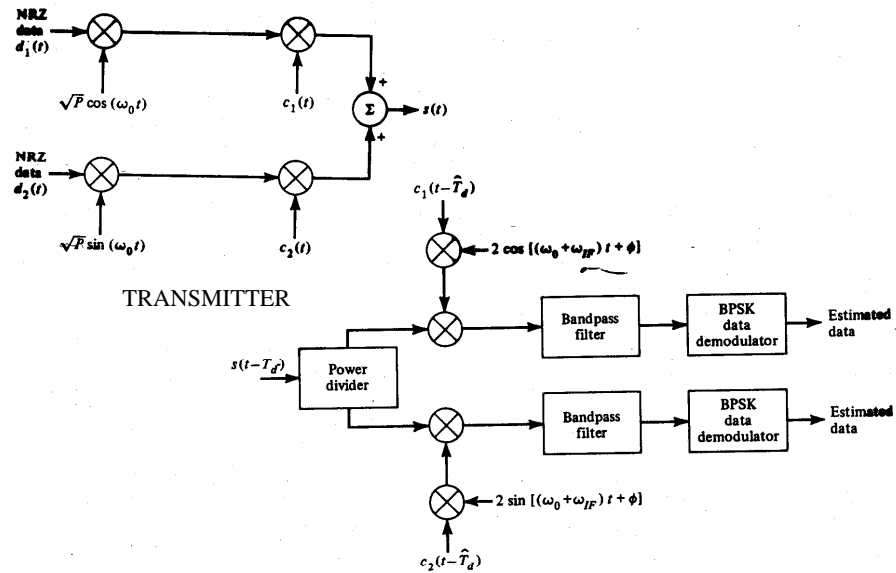


# DS-QPSK

- DS-QPSK has same performance as DS-BPSK, but uses one-half the transmission bandwidth.
- It is more difficult to detect (Low Probability of detection, LPD, applications)
- It is less sensitive to some types of jamming.



RECEIVER  
DS-QPSK

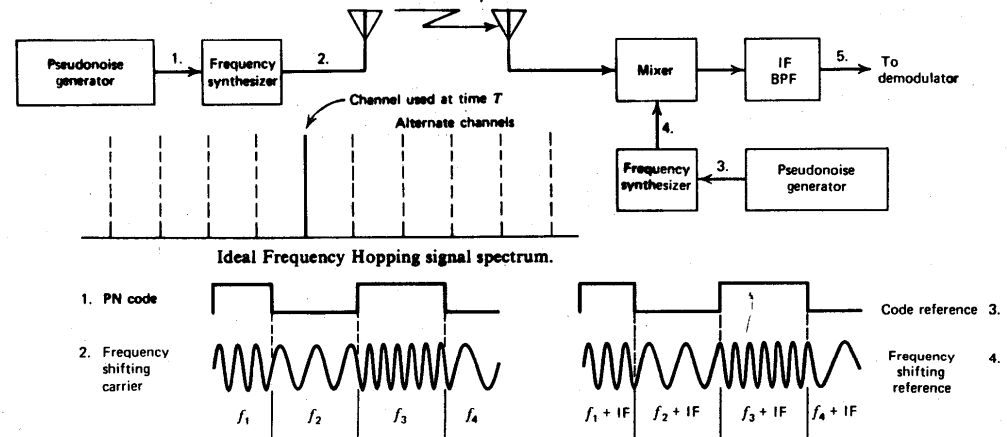


RECEIVER  
DS-QUADRATURE BPSK

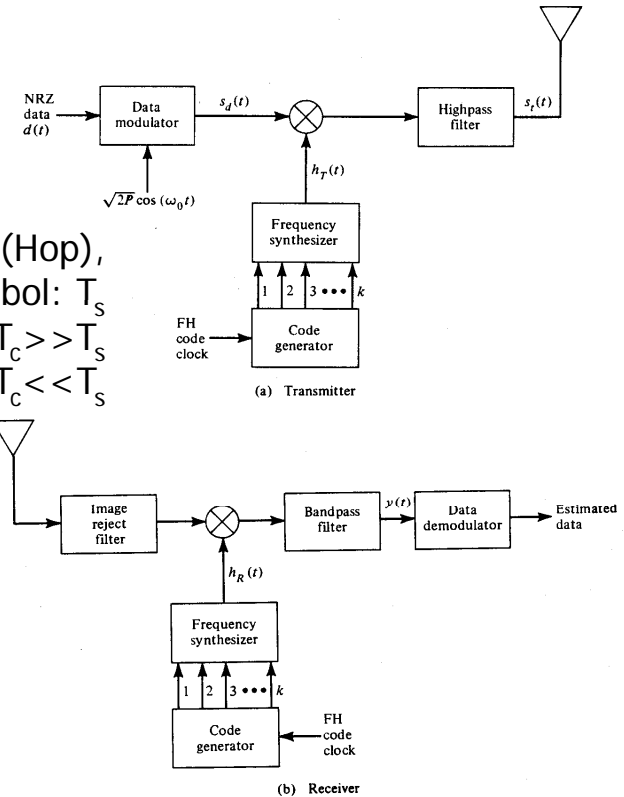


# FREQUENCY-HOPPING (FH)

Carrier is caused to shift frequency in a pseudo-random manner.



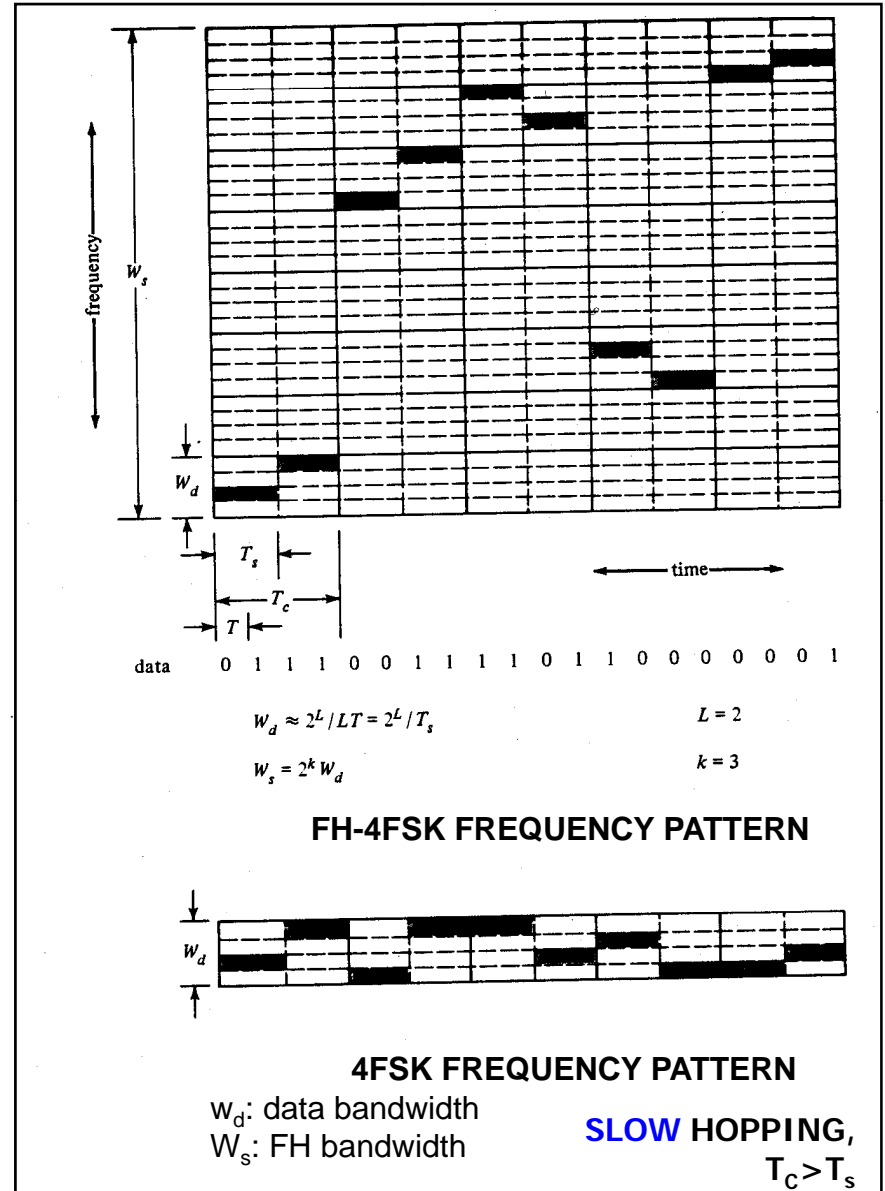
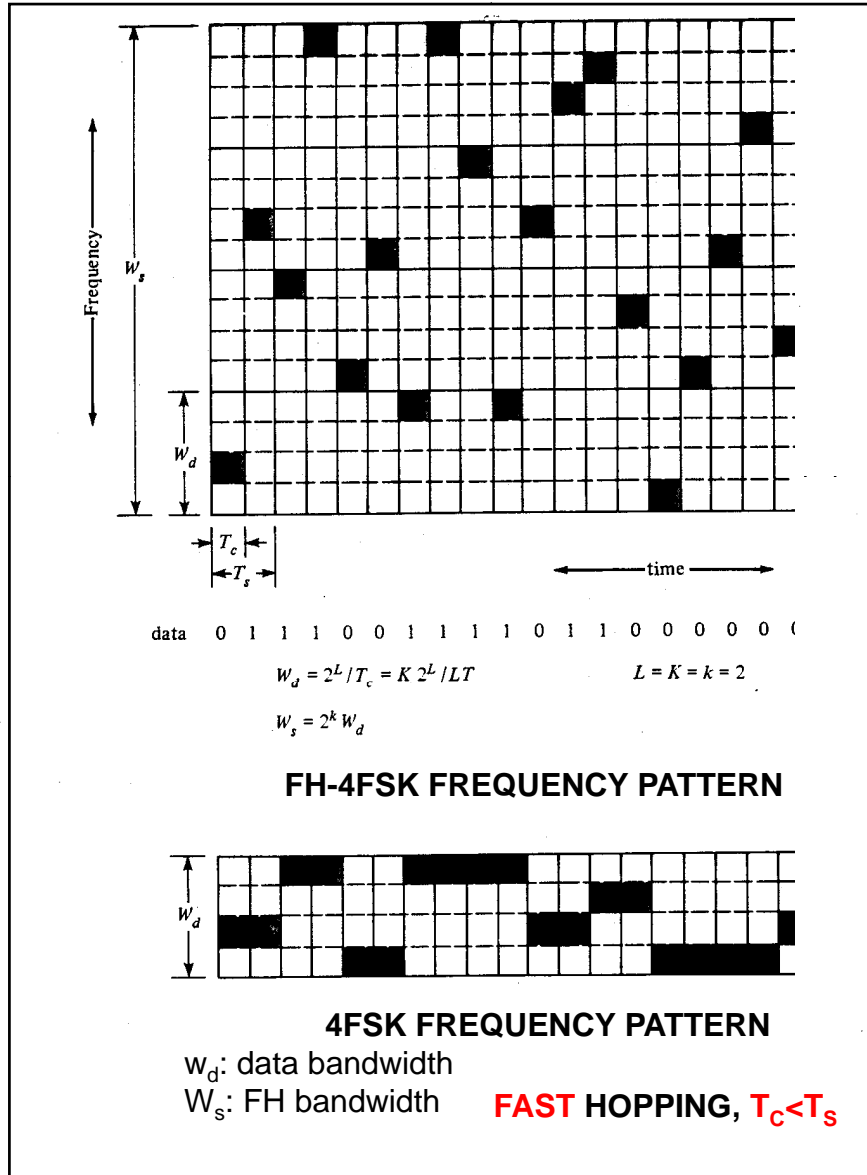
Duration of frequency synthesizer output:  $T_c$  (Hop),  
 Duration of data symbol:  $T_s$   
 Slow Hopping:  $T_c \gg T_s$   
 Fast Hopping:  $T_c \ll T_s$



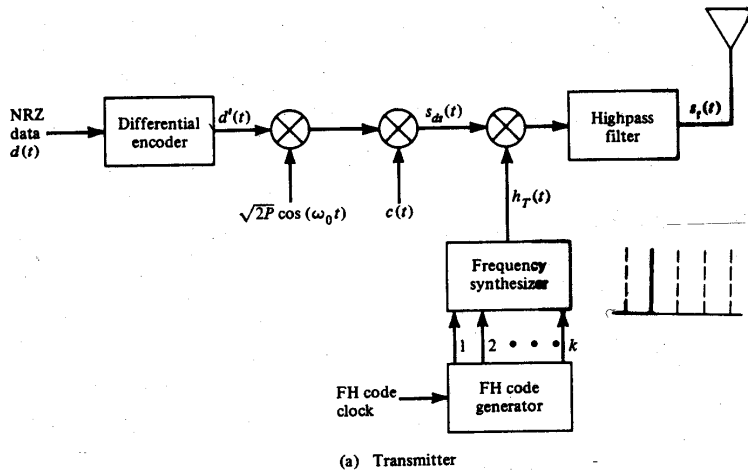
Carrier frequency is changed in a pseudo-random manner.

Most FH systems use either non-coherent or differential demodulation schemes because of the difficulty of building truly coherent frequency synthesizers as well as code tracking requirements.

# EXAMPLE OF FH-4FSK

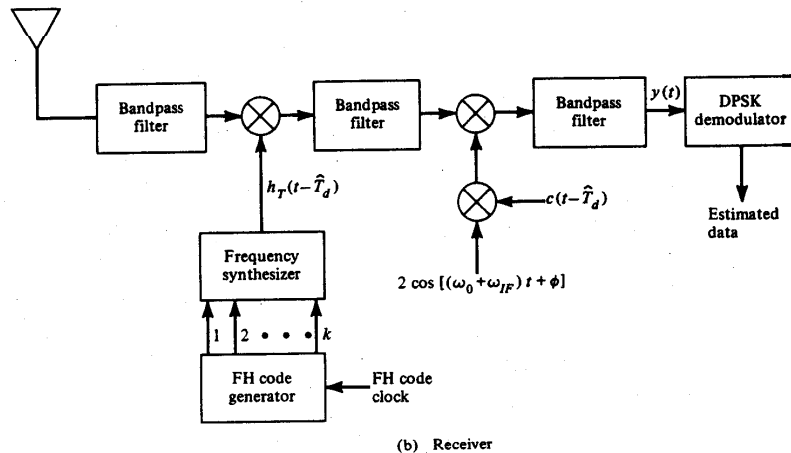


# HYBRID DS/FH TECHNIQUES:

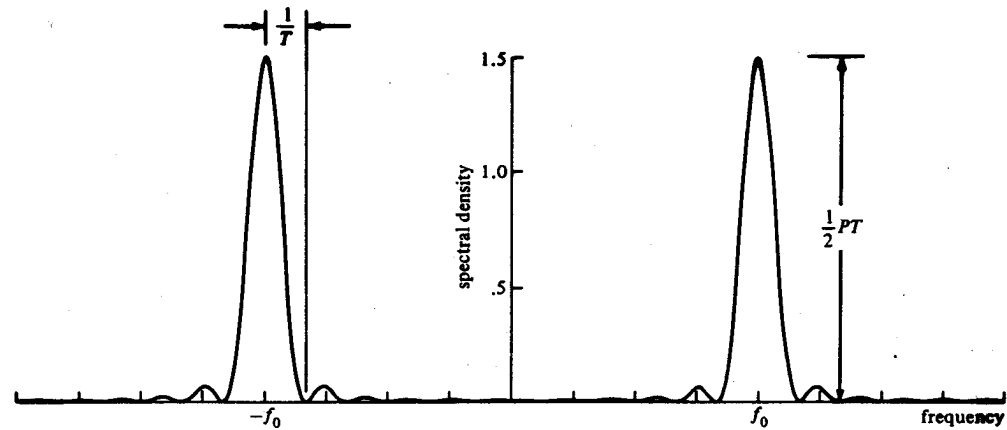


## DS AND FH SYSTEMS

- NEED OF ERROR CORRECTION CODING IN FH SYSTEMS: Given a large-power jammer in a frequency slot, errors will occur every time this slot is used. This yields an average error probability of  $i/N$  where  $N$  is the number of frequency slots over which the signal can hop. Error correction coding is needed to overcome this problem
- DS can have more synchronization difficulties due to high-speed operation and long initial acquisition time.
- DS spectrum looks relatively uniform (except for very short codes).



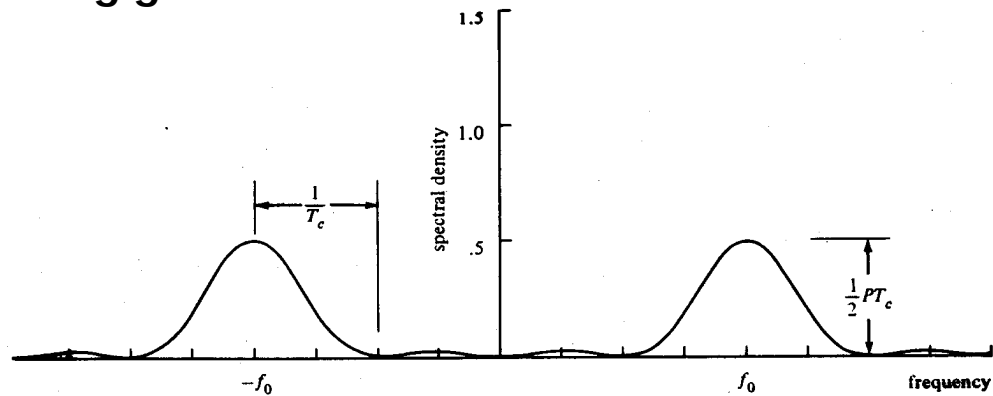
# SPECTRA OF MODULATED & SS SIGNALS



PSD OF MODULATED SIGNAL

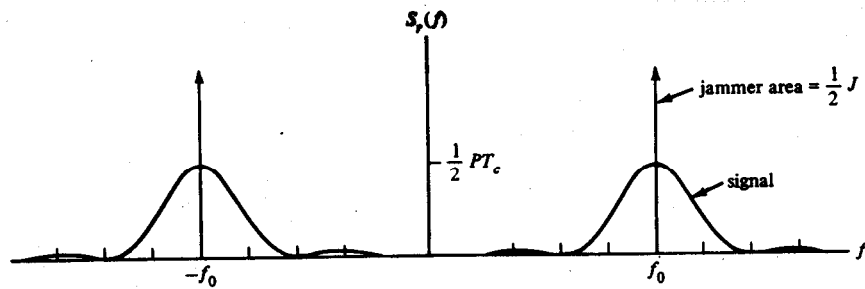
With SS: **processing gain**

$$P_G = R_c/R = T/T_c$$

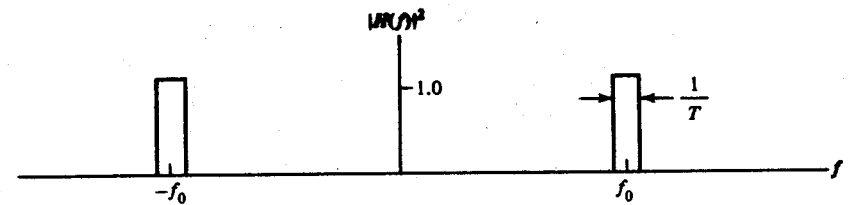


PSD OF MODULATED SS SIGNAL

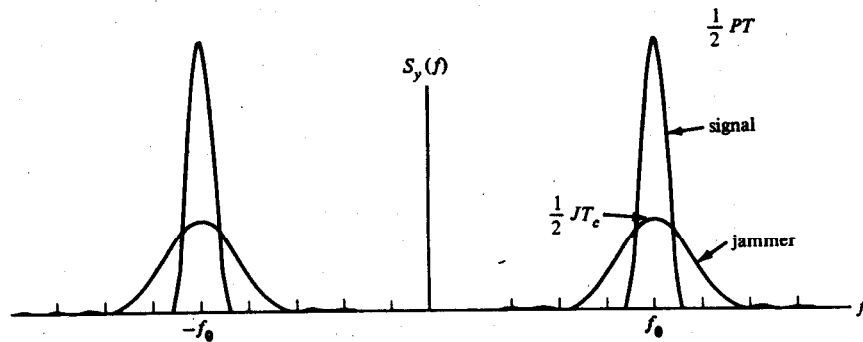
# SINGLE-TONE JAMMER



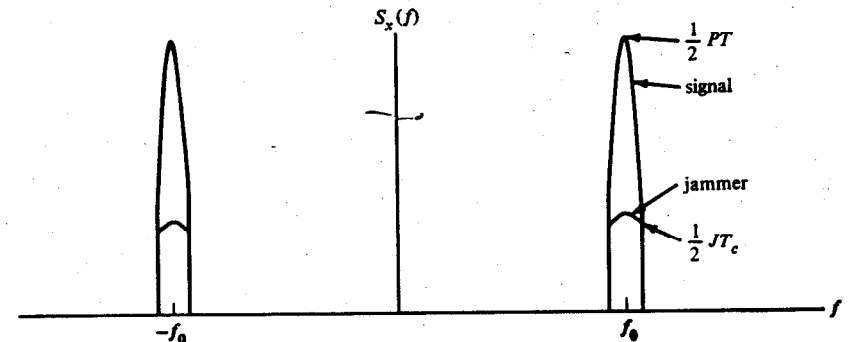
SS SIGNAL AND JAMMER



RESPONSE OF SIGNAL BPF (IDEAL)



SS SIGNAL AND JAMMER AFTER DESPREADING



OUTPUT OF BPF (IDEAL)

Single-tone jammer is at the center frequency.

**Without** SS, the signal-to-jammer power ratio is exactly  $S/J$ .

**With** SS, the signal-to-jammer power ratio after de-spreading (at demodulator input after IF filtering) is increased to  $P_G[S/J]$ , i.e., improved by a factor equal to the **processing gain**.

# PULSE-NOISE JAMMING

Main signal: Tx bit rate  $R$ , energy per bit:  $E_b$ , average power:  $S=E_bR$ ,  
PULSE-NOISE JAMMER: transmits pulses of band-limited white Gaussian noise with total average power  $J$  referred to the receiver front-end.

Pulse duty factor:  $e$

Bandwidth:  $W$  (Transmission bandwidth),

jamming power spectra density:  $J_o=J/[eW]$

## WITHOUT SS: $W=R$

Bit error probability of a coherent BPSK in an AWGN environment:

$$P_b = Q\left(\sqrt{2E_b / N_o}\right)$$

During the pulse-noise jamming:  $[E_b / N_o] \Rightarrow [E_b / (N_o + J_o)] = ([N_o / E_b] + [J / S])^{-1}$

Average bit error probability with pulse-noise jamming:

$$P_{bJ} = (1-e)Q\left(\sqrt{2E_b / N_o}\right) + eQ\left(\sqrt{2E_b / [N_o + J_o]}\right)$$

The jammer selects  $e_{\max}$  to maximize  $P_b$ !

$$P_{bJ,\max} \approx \left(\sqrt{2\pi e} [E_b / (J / W)]\right)^{-1}$$

# processing gain with SS

Pulse-noise jammer with wide bandwidth:  $W = R_c$  (transmission bandwidth)

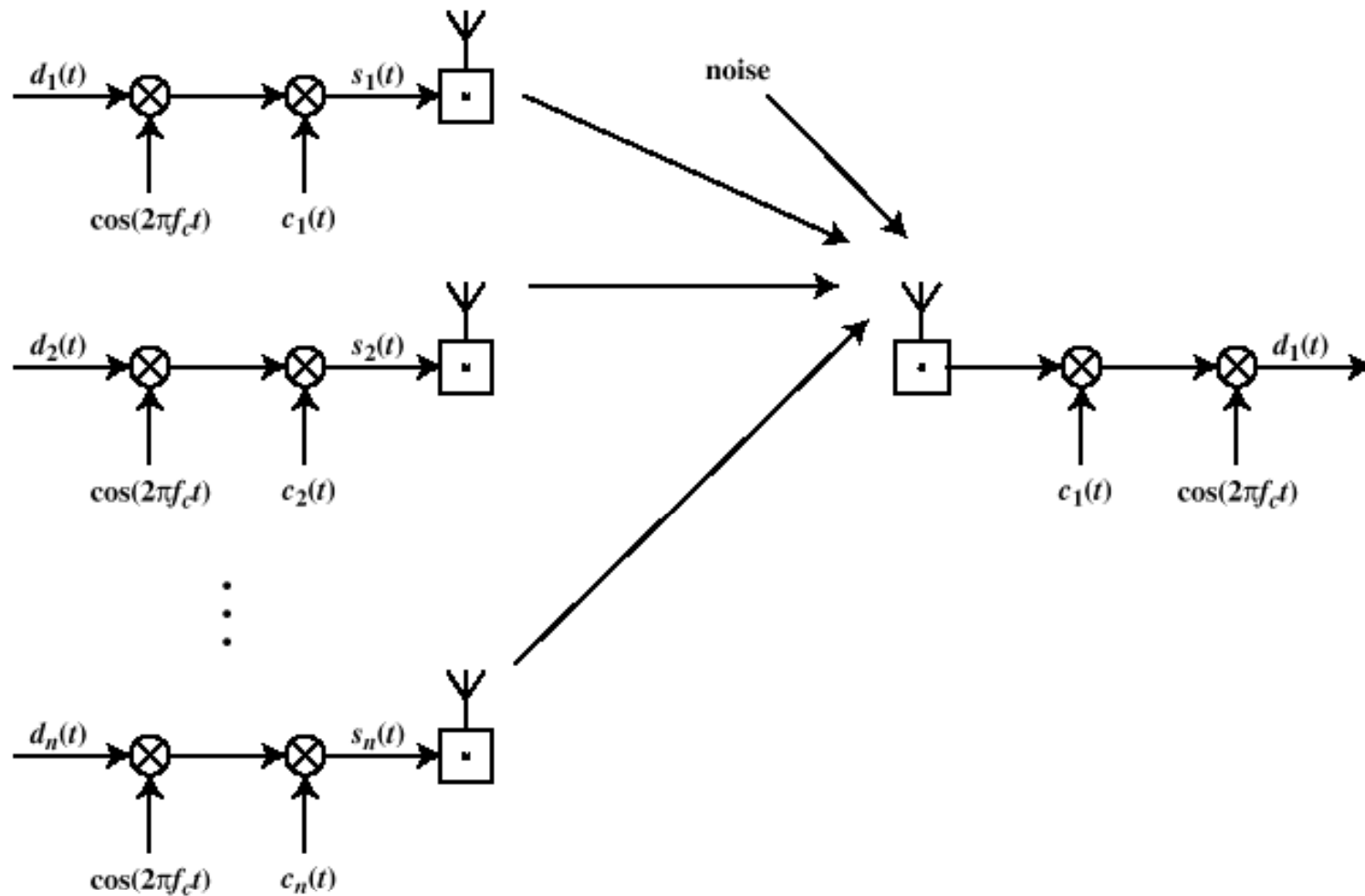
With SS: **processing gain**  $P_G = R_c/R$

During the pulse-noise jamming:

$$[E_b / N_o] \Rightarrow [E_b / (N_o + J_o)] = \left( [N_o / E_b] + [(J / eR_c) / (S / R)] \right)^{-1} = \left( [N_o / E_b] + [(J / eS) / P_G] \right)^{-1}$$

$P_G \gg 1 \Rightarrow [(J / eS) / P_G] \approx 0$  (greatly reduced),  $[J / S]$ : Jammer-to-Signal Power Ratio

The **jamming margin** is the largest value that the ratio  $J/S$  can take and still satisfy the specified performance (error probability).



## Code-Division Multiple Access (CDMA) using DS